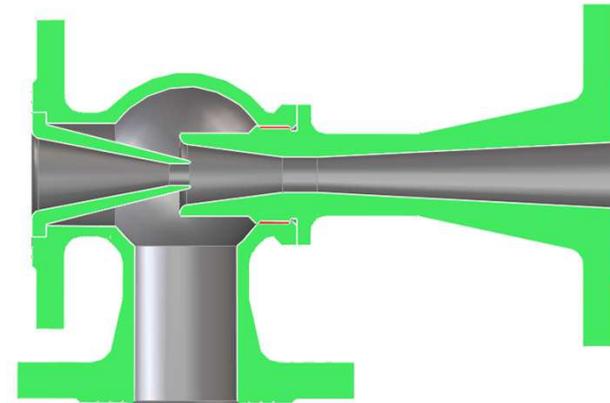


CFD study with Venturi Liquid ejector for ONDA 248



Geometry

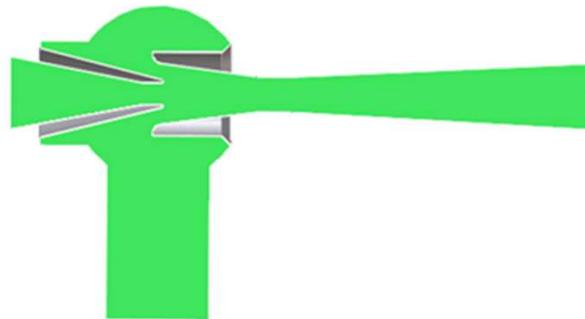
Original geometry



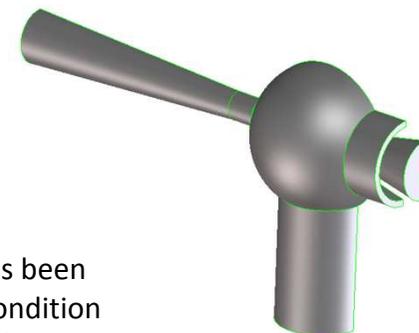
For CFD analysis the
only the fluid need to
be modelled



CFD geometry



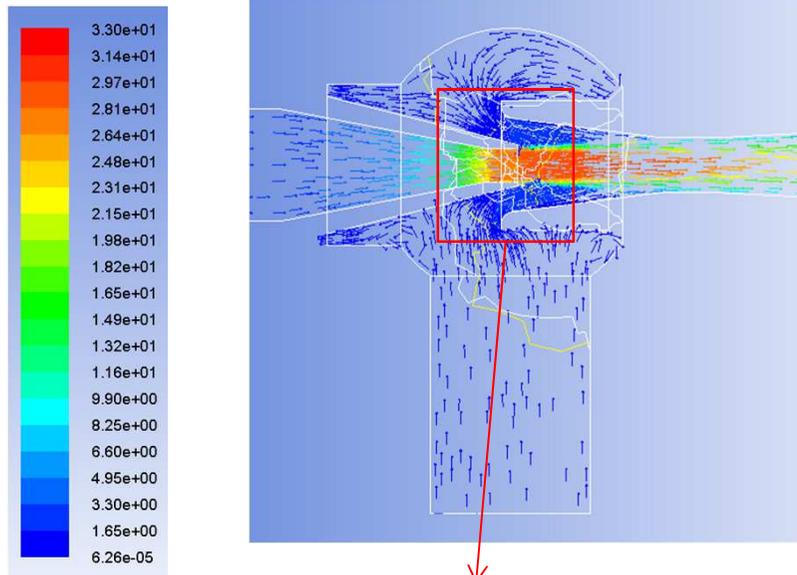
Only half geometry has been
used since symmetry condition
has been applied



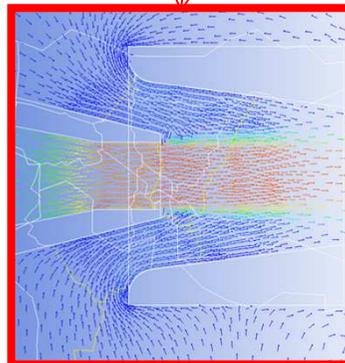
Results

Some plots to show general behaviour

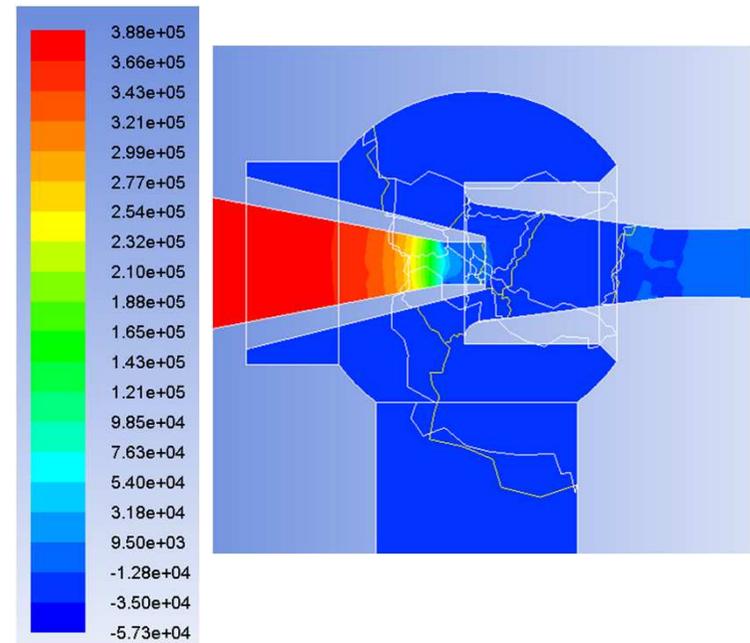
Velocity Vectors



Velocity (m/s)



Pressure Contours



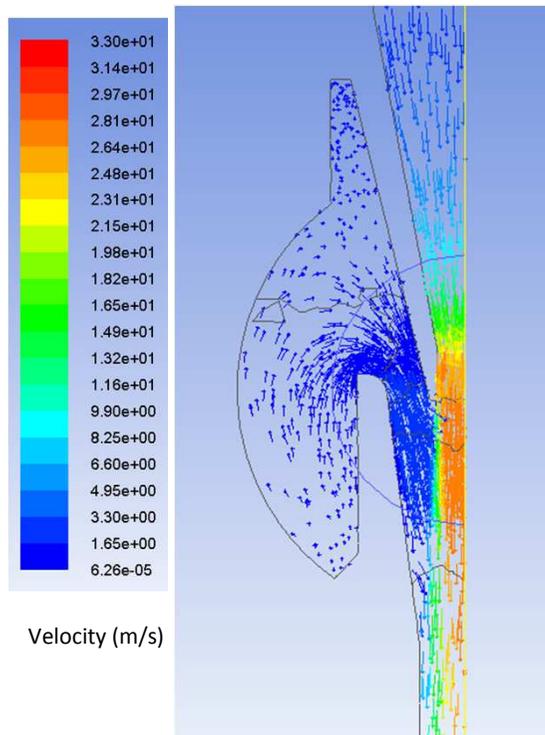
Pressure (Pa)

(Results for a specific case of 248-5)

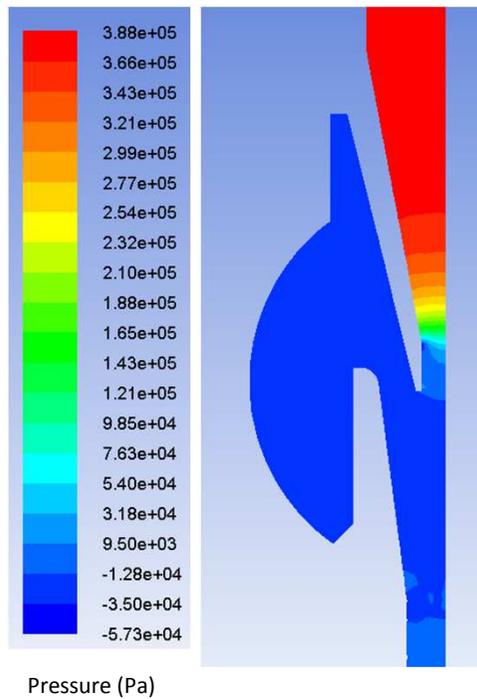
Results

Some plots to show general behaviour

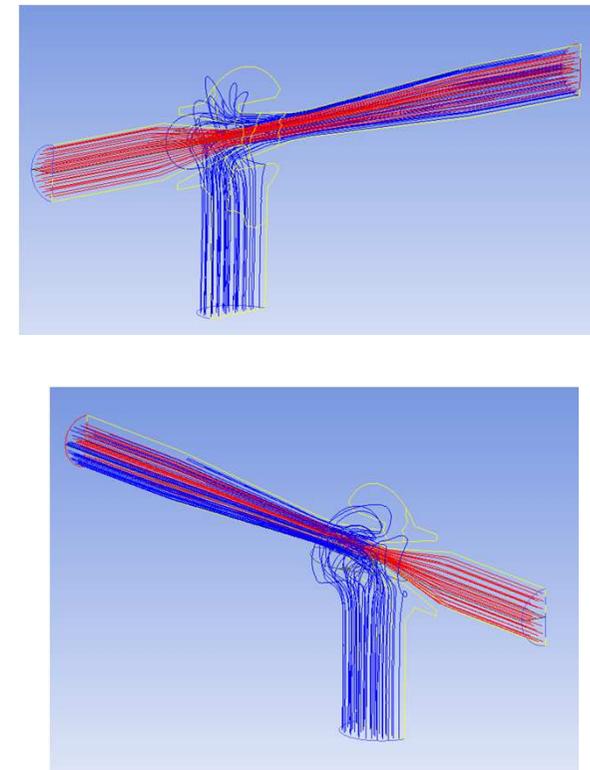
Velocity Vectors (top view)



Pressure Contours (top view)



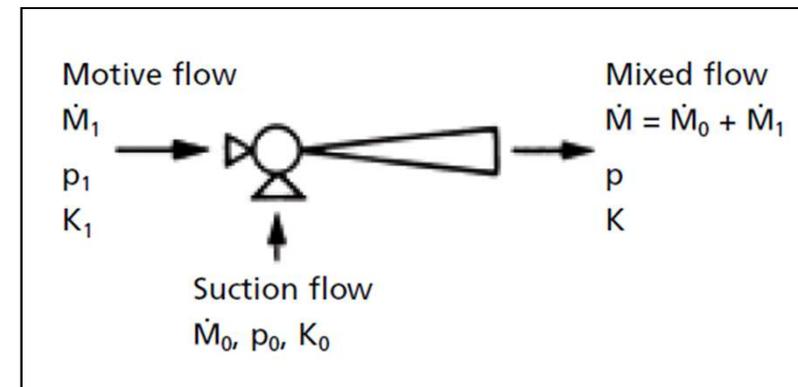
Streamlines (colored by fluxes)



Results

Explanation of ejector behaviour:

The follow scheme will be used to define the different variables involved:



- 5 independent variables: p_1, p_0, p, M_1, M_0
($M = M_1 + M_0$)

- The “**height pressure**” to overcome is $(p - p_0)$, since $p > p_0$.

- The **motive pressure is p_1** , so that p_1 must be the greatest pressure.



Therefore, always: **$p_1 > p > p_0$**

- What really matter is the difference $(p - p_0)$ and not the value of p and p_0 itself. That is, if we only change the variables p and p_0 the results will be the same if $(p - p_0)$ remains constant

- The flow rate M_1 only depends (approximately) of the difference $(p_1 - p_0)$. This relation gives us the curve $(p_1 - p_0)$ vs M_1 , that is showed later on.

Results

5 independent variables: p_1, p_0, p, M_1, M_0
 ($M = M_1 + M_0$)



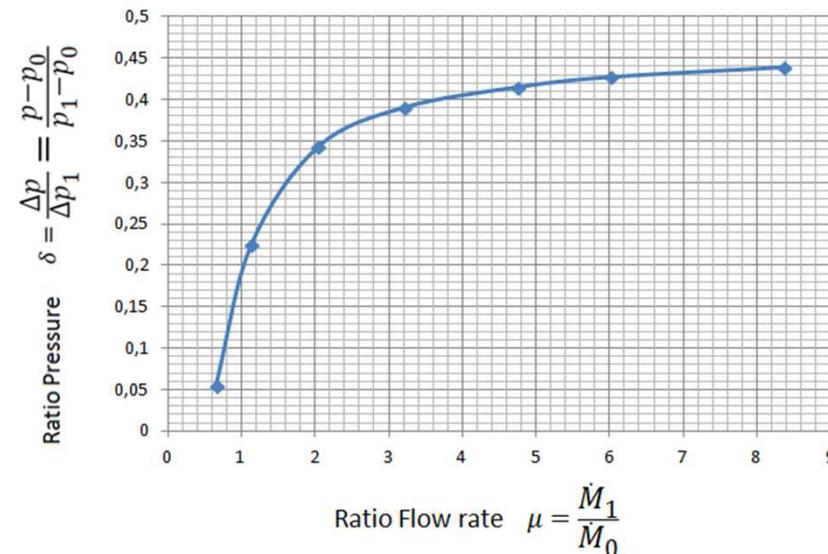
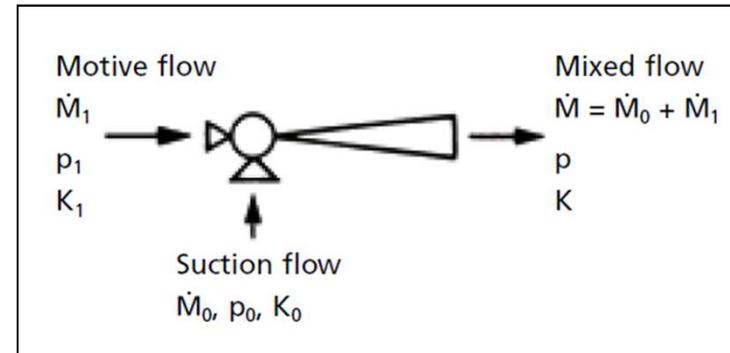
Therefore, many relations and graphs can be described.

But there is **only one graph that define the overall behaviour:** the graph [Ratio pressure – Ratio Flow rate] (Rp-Rq)

Note that this **graph also shows the ejector efficiency** in a certain way.

A more efficient ejector will have:

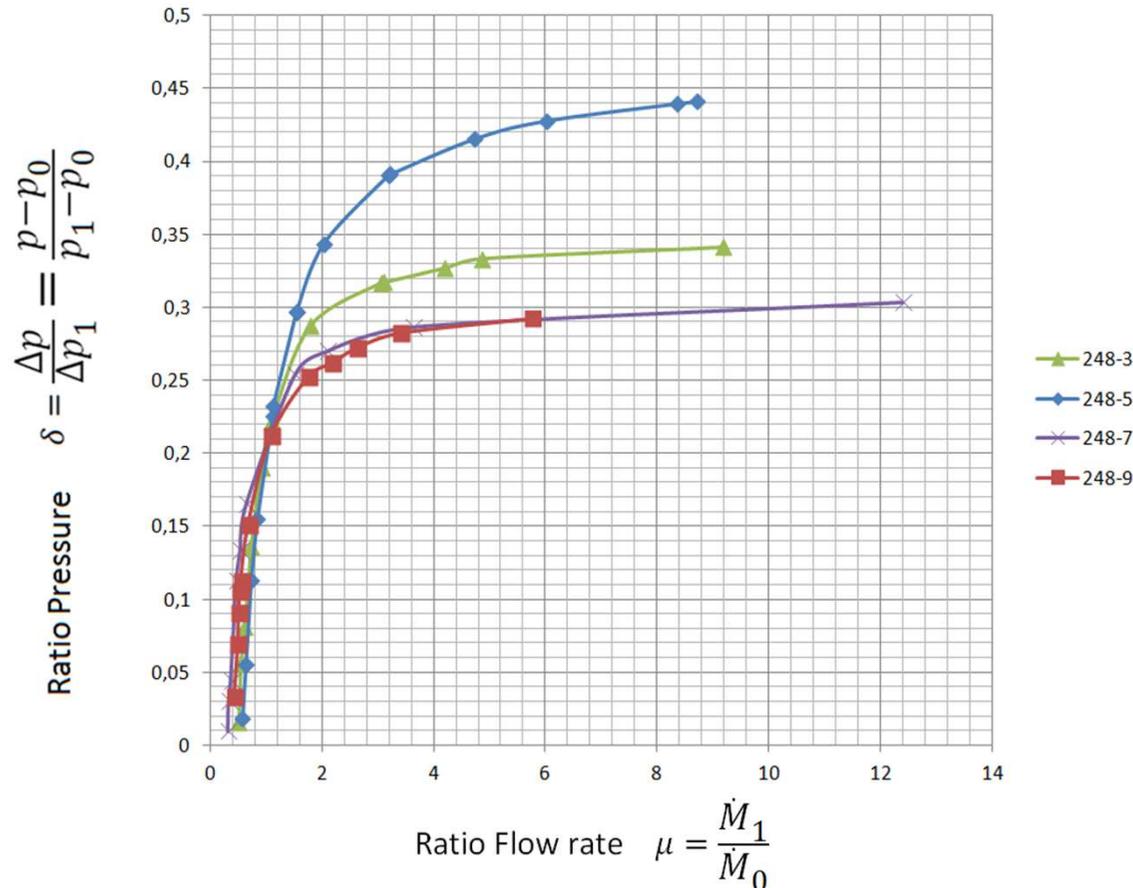
- **Greater Ratio pressure** (smaller motive pressure p_1 for same p and p_0)
- **Smaller Ratio Flow rate** (smaller motive flow M_1 for same suction flow M_0)



- Results for 248-5 -

Results

Graph Rp-Rq (Ratio pressure – Ratio flow rates) for all 4 ejectors



Different curves for each ejector Model

Some Models are more “efficient” than others depending on the part of the graph considered

For greater Flow rate Ratio M_1/M_0 , Models 5 and 3 show more efficiency (lower p_1 required), while for lower flow ratio, Models 7 and 9 are more efficient*

* Lower part of the graph is better observed with logarithmic scale. It is showed in Appendix 1

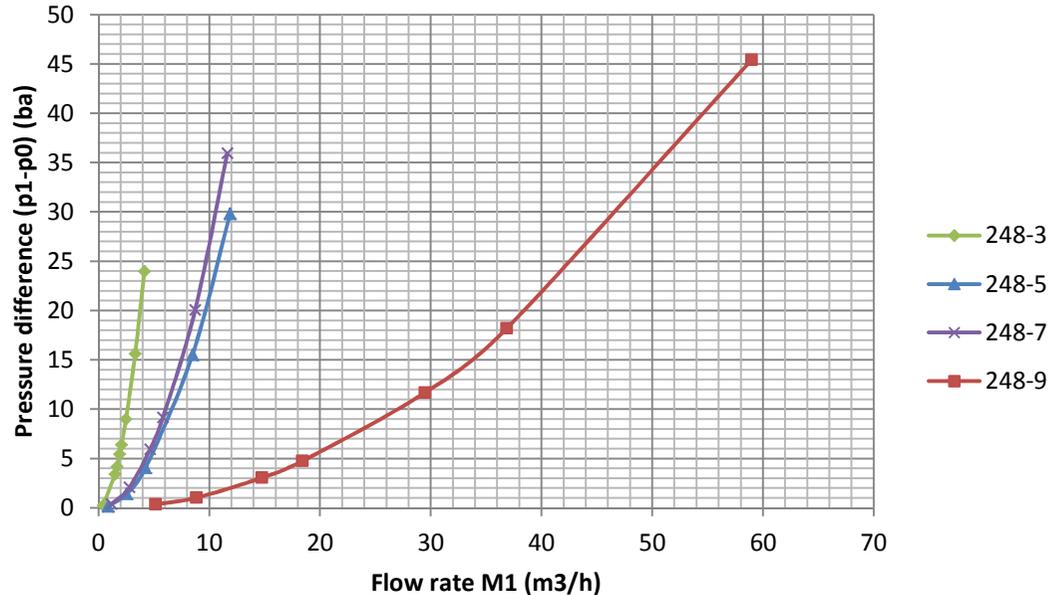
Results

As observed in the previous graph, **each ejector presents a different curve**

However, **NO relation is found between the size of the product and the curves obtained**. Even it can be observed that 248-9 and 248-7 models present very similar curves

Nevertheless, **greater sizes work with greater flow rates and smaller sizes work with higher pressures**, although these graphs do not show this consideration

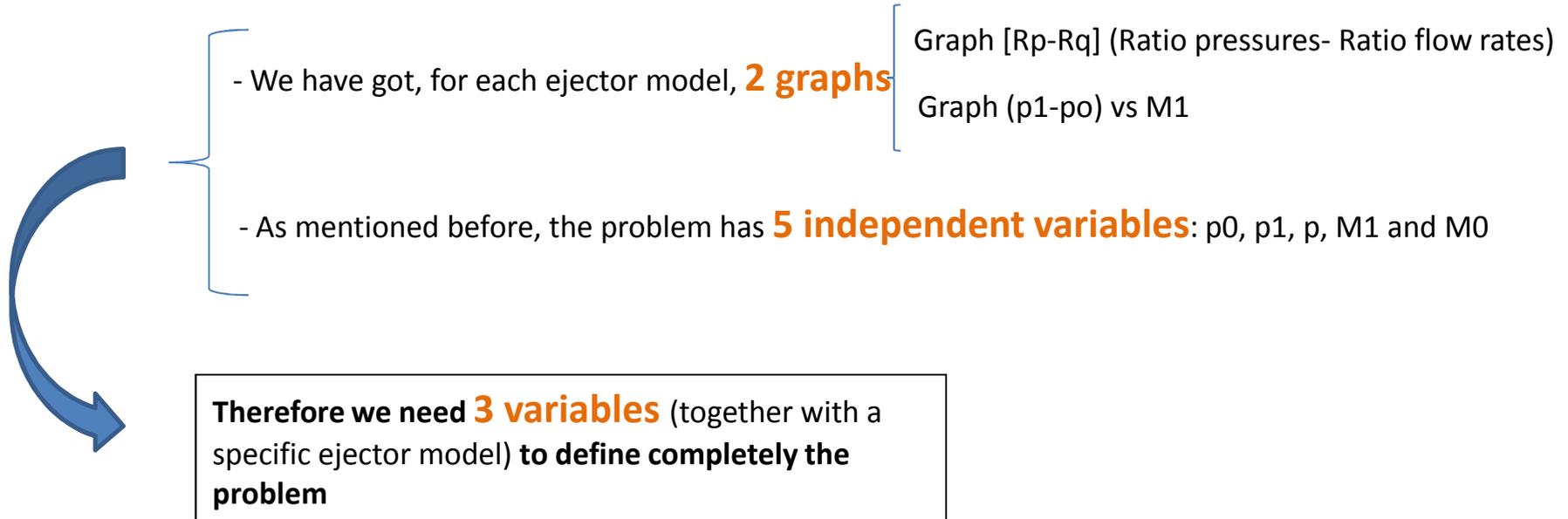
Therefore, additional information is required: the **curve (p1-p0) vs M1 (Motive flow rate)**



This graph defines completely the problem

Moreover, it is helpful for choosing the correct range of flow rates and even helpful for the **upstream installation requirements**

Results

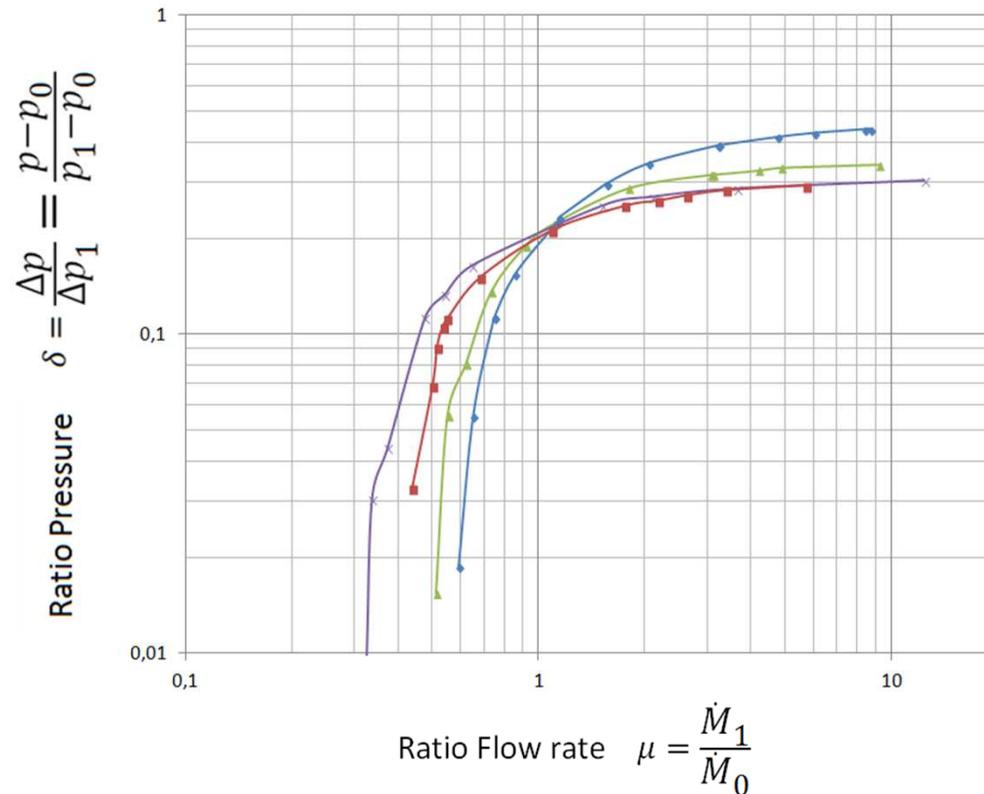


- This information can be **used for the final client** in order to help them in choosing the ideal ejector
- The process would be to **defining the 3 variables and then using the graphs** to define completely the problem.
- At the **Appendix** of this document, **3 examples of different situations** (depending on the 3 variables chosen) **are explained**.

Conclusions

- A CFD simulation has been performed in order **to evaluate and characterize the 4 Venturi liquid ejector** as well as to **understand the ejector behaviour**
- **Two graphs** have been obtained for each model:
 - **Rp-Rq (Ratio pressure – Ratio flow rates)**: explain the **overall behaviour** of the product and its efficiency
 - **(p1-po) (motive drop pressure) VS M1 (motive liquid)**: shows the relation between the motive pressure and motive flow. It is useful to know the **range of working** for each model and it can be helpful for knowing the **upstream installation requirements**.
- Both graphs define completely the fluid problem. 3 variables must be defined among de 5 independent variables (p, p0, p1, M0, M1). Three examples of how using the graphs have been provided.
- **CFD simulation** could be used also for **design assessment**
 - Improving ejector efficiency
 - Evaluating working range

APPENDIX 1, Graph Rp-Rq in logarithmic scale



Logarithmic scale shows better the graph specially at lower values

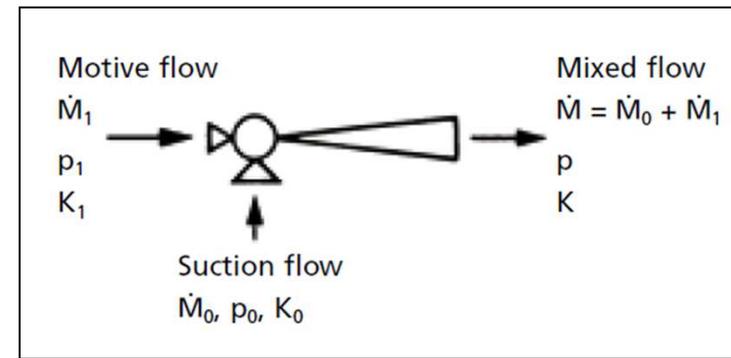
- ▲— 248-3
- 248-5
- ×— 248-7
- 248-9

Logarithmic scale shows better the graph specially at lower values

APPENDIX 2, Use of graphs with Examples

As explained before:

- 5 independent variables are found: p , p_0 , p_1 , M_1 and M_0
- 2 graphs are obtained: R_p - R_q and $(p_1 - p_0)$ vs M_1
- Therefore 3 variables must be defined



In the following slides, the **use of graphs** in order **to solve completely the problem** will be explained

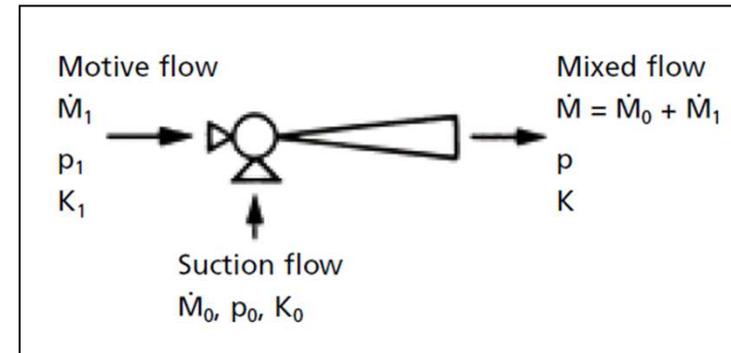
Usually, p_0 (suction pressure) and p (discharge pressure) are known variables. Therefore, 3 examples will be showed, depending on the third defined variable: c

- **Case A:** 3 variables defined -> **M_1** , p_0 and p
- **Case B:** 3 variables defined -> **p_1** , p_0 and p
- **Case C:** 3 variables defined -> **M_0** , p_0 and p

APPENDIX 2, Use of graphs with Examples

CASE A: 3 variables defined -> **M1**, p_0 and p

- $p_0 = -0.2$ bar (equivalent to 2 meters suction)
- $p = 1$ bar (equivalent to 10 meters after ejector)
- $M1 = 8$ m³/h



And we choose for example jet **Model 248-5**

- With $M1$ Graph ($p_1 - p_0$) vs $M1$ \rightarrow $(p_1 - p_0) = 14$ bar \rightarrow $p_1 = 13.8$ bar

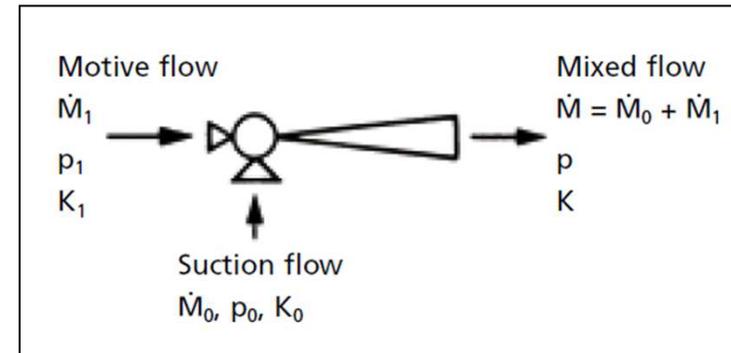
- Then: $\frac{\Delta p}{\Delta p_1} = \frac{p - p_0}{p_1 - p_0} = 0.087$ Graph $R_p - R_q$ \rightarrow $\frac{M_1}{M_0} = 0.77$ $\xrightarrow{M1 = 8}$ $M_0 = 10.4$ m³/h

APPENDIX 2, Use of graphs with Examples

CASE B: 3 variables defined -> **p1**, p0 and p

- p0** = -0.2 bar (equivalent to 2 meters suction)
- p** = 1 bar (equivalent to 10 meters after ejector)
- p1** = 13.8 bar

- First: $\frac{\Delta p}{\Delta p_1} = \frac{p - p_0}{p_1 - p_0} = 0.087$



If we choose jet Model 248-5

$$\frac{\Delta p}{\Delta p_1} = 0.087$$

Graph Rp-Rq Model 248-5

$$\frac{M_1}{M_0} = 0.77$$

Graph (p1-p0) vs M1 Model 248-5

$$(p_1 - p_0) = 14 \text{ bar}$$

$$M_1 = 8 \text{ m}^3/\text{h}$$

$$M_0 = 10.4 \text{ m}^3/\text{h}$$

If we choose jet Model 248-9

$$\frac{\Delta p}{\Delta p_1} = 0.087$$

Graph Rp-Rq Model 248-5

$$\frac{M_1}{M_0} = 0.55$$

Graph (p1-p0) vs M1 Model 248-5

$$(p_1 - p_0) = 14 \text{ bar}$$

$$M_1 = 32.3 \text{ m}^3/\text{h}$$

$$M_0 = 58.73 \text{ m}^3/\text{h}$$

APPENDIX 2, Use of graphs with Examples

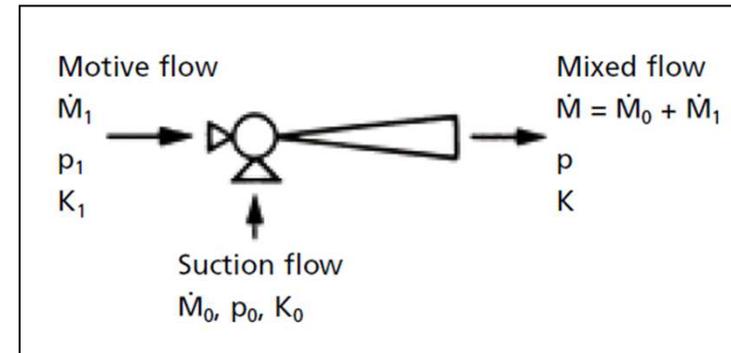
CASE C: 3 variables defined -> \dot{M}_0 , p_0 and p

$p_0 = -0.2$ bar (equivalent to 2 meters suction)

$p = 1$ bar (equivalent to 10 meters after jet)

$\dot{M}_0 = 10.4$ bar

And we choose jet **Model 248-5**



In this situation we cannot use directly any of the two graphs since we don't know p_1 nor \dot{M}_1 .

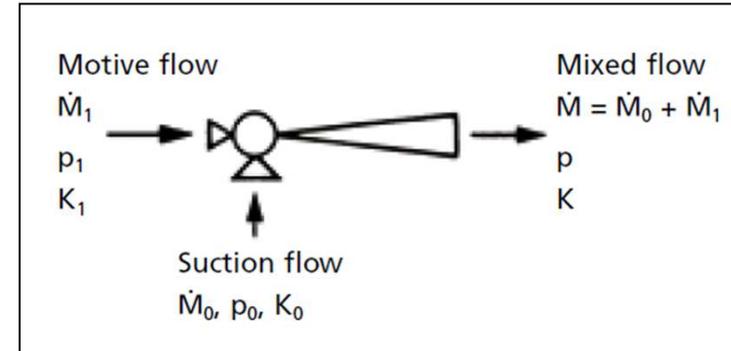
The task now is to find the correct values of p_1 and \dot{M}_1 so that the both graphs give coherent results

As we don't know a priori the values of p_1 nor \dot{M}_1 , we will have to suppose them and then modify them iteratively by using the two graphs until getting the coherent values, as showed in next slides.

APPENDIX 2, Use of graphs with Examples

CASE C: 3 variables defined -> M_0 , p_0 and p

- $p_0 = -0.2$ bar (equivalent to 2 meters suction)
- $p = 1$ bar (equivalent to 10 meters after jet)
- $M_0 = 10.4$ bar



- Iteration 1: We suppose any value of p_1 -> $p_1 = 10$ bar

$$\frac{\Delta p}{\Delta p_1} = 0.12 \xrightarrow{\text{Graph } Rp-Rq} \frac{M_1}{M_0} = 0.85 \xrightarrow{M_0 = 10.4} M_1 = 8.9 \text{ m}^3/\text{h}$$

$$M_1 = 8.9 \text{ m}^3/\text{h} \xrightarrow{\text{Graph } (p_1-p_0) \text{ vs } M_1} (p_1-p_0) = 17.5 \rightarrow p_1 = 17.3 \text{ bar}$$

It's different from initial guess $p_1 = 10$ bar

➔ Therefore, new p_1 value: $p_1 = 17.3$ bar

- Iteration 2: New value of p_1 -> $p_1 = 17.3$ bar

$$\frac{\Delta p}{\Delta p_1} = 0.069 \xrightarrow{\text{Graph } Rp-Rq} \frac{M_1}{M_0} = 0.7 \xrightarrow{M_0 = 10.4} M_1 = 7.28 \text{ m}^3/\text{h}$$

$$M_1 = 7.28 \text{ m}^3/\text{h} \xrightarrow{\text{Graph } (p_1-p_0) \text{ vs } M_1} (p_1-p_0) = 11.7 \rightarrow p_1 = 11.5 \text{ bar}$$

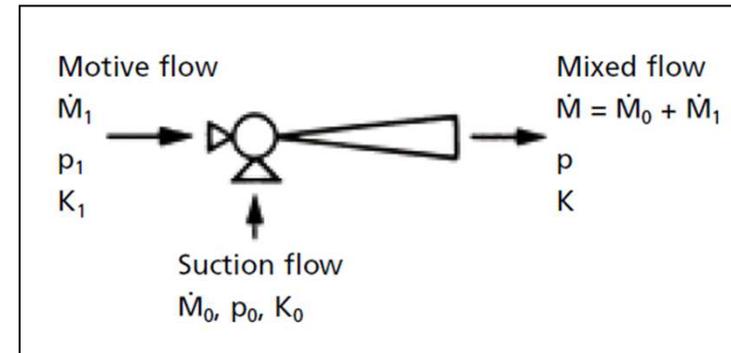
It's different from last value $p_1 = 17.3$ bar

➔ Therefore, new p_1 value: $p_1 = 11.5$ bar

APPENDIX 2, Use of graphs with Examples

CASE C: 3 variables defined -> M_0 , p_0 and p

- $p_0 = -0.2$ bar (equivalent to 2 meters suction)
- $p = 1$ bar (equivalent to 10 meters after ejector)
- $M_0 = 10.4$ bar



- Iteration 3: New value of p_1 -> $p_1 = 11.5$ bar

$$\frac{\Delta p}{\Delta p_1} = 0.102 \xrightarrow{\text{Graph } R_p-R_q} \frac{M_1}{M_0} = 0.8 \xrightarrow{M_0 = 10.4} M_1 = 8.32 \text{ m}^3/\text{h}$$

$$M_1 = 8.32 \text{ m}^3/\text{h} \xrightarrow{\text{Graph } (p_1-p_0) \text{ vs } M_1} (p_1-p_0) = 15 \rightarrow p_1 = 14.8 \text{ bar}$$

It's different from last value $p_1 = 11.5$ bar

➔ Therefore, new p_1 value: $p_1 = 14.8$ bar

- Iteration 4: ...

- Iteration 5: ...

⋮

Note that at each iteration, the values of p_1 and M_1 are closer to the correct ones

After some iterations, the correct values are obtained:

$$p_1 = 13.8 \text{ bar}$$

$$M_1 = 8 \text{ m}^3/\text{h}$$